

# Devoir 3.

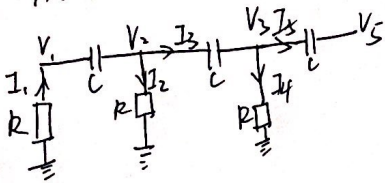
$$R_1 = R_2 = R_3 = R_4 = R$$

$$C_1 = C_2 = C_3 = C \quad U_- = U_+ = 0$$

$$I_3 = I_4 + I_5, \quad I_4 = \frac{V_3 - 0}{R} = \frac{V_3}{R}$$

$$I_5 = j\omega C (V_3 - V_5)$$

Alors,



$$I_1 = \frac{0 - V_1}{R} = j\omega C (V_1 - V_2) \Rightarrow V_2 = \left(1 + \frac{1}{j\omega R}\right) V_1$$

$$I = I_2 + I_3, \quad I_2 = \frac{V_2 - 0}{R} = \frac{V_2}{R}$$

$$\Rightarrow V_2 = \left(1 + \frac{1}{j\omega R}\right) V_1$$

$$V_3 = \left(2 + \frac{1}{j\omega R}\right) V_2 - V_1$$

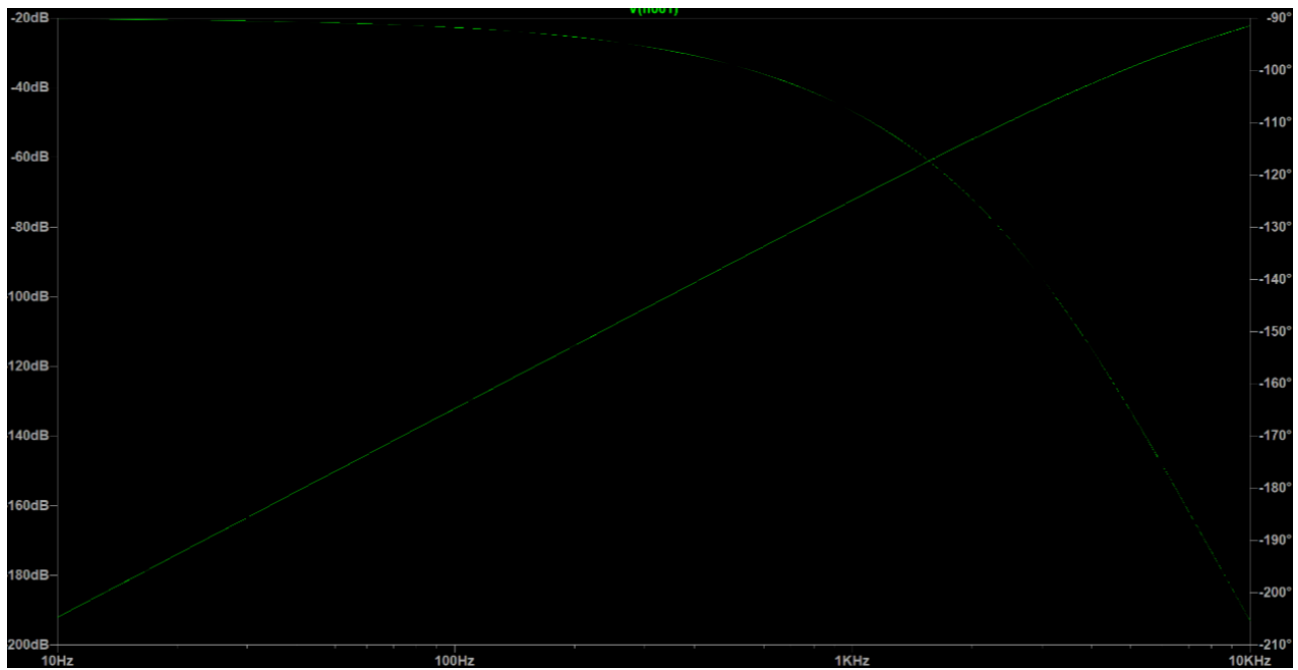
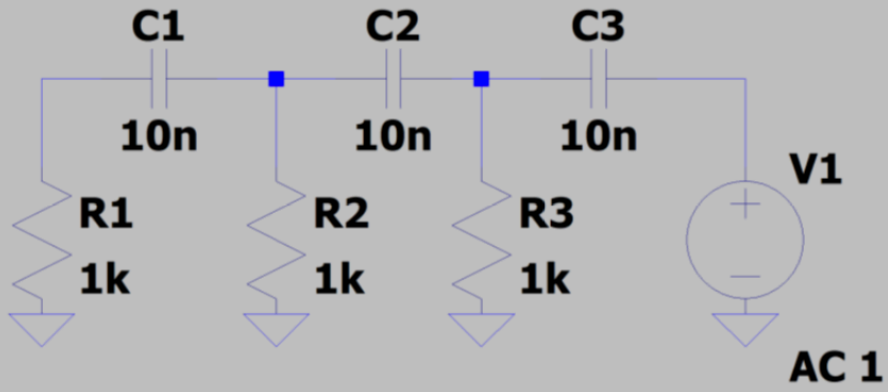
$$V_2 = \frac{(2j\omega R + \frac{1}{R}) V_1 + j\omega R V_3}{(j\omega R + \frac{1}{R})(3 + \frac{1}{j\omega R})}$$

alors, on a :

$$\frac{V_1}{V_5} = \frac{1}{1 + \frac{1}{j\omega R} + \left(\frac{5}{j\omega R}\right)^2 + \frac{1}{(j\omega R)^3}} \Leftrightarrow \frac{V_1}{V_5} = \frac{1}{1 - \frac{5}{j\omega R} + j\left(\frac{1}{\omega R} - \frac{1}{\omega R}\right)}$$

Donc on peut faire la simulation comme ici:

`.ac dec 1000 10 10k`



$$Q_3. \varphi = -\arctan \frac{6(WCR)^2 - 1}{(WCR)^2 - 5WCR}$$

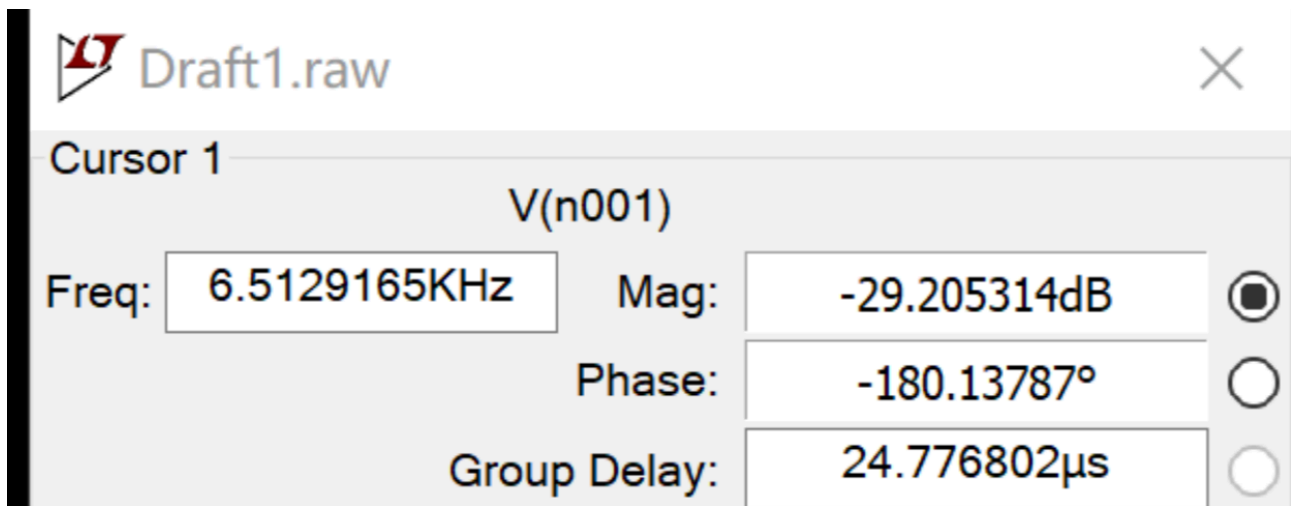
$$\text{Or } \varphi = -\pi$$

$$\text{alors, } w = \frac{1}{\sqrt{6CR}}$$

$$\Rightarrow f_0 = \frac{w}{2\pi} = \frac{1}{2\pi\sqrt{6CR}} \approx 6498 \text{ Hz}$$

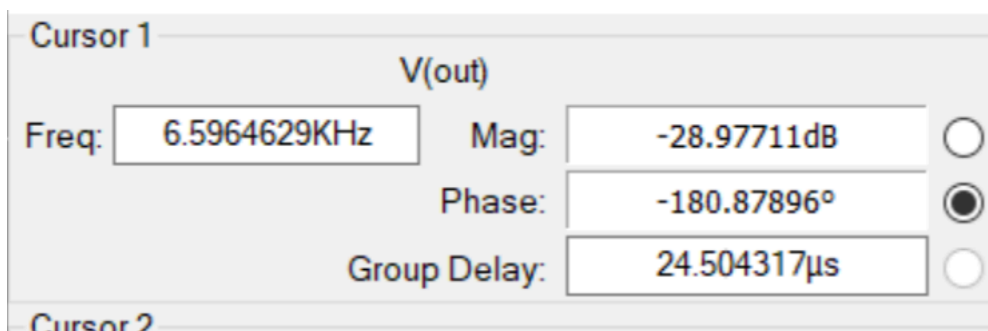
$$A = \frac{1}{\rho} = 29$$

Numériquement :



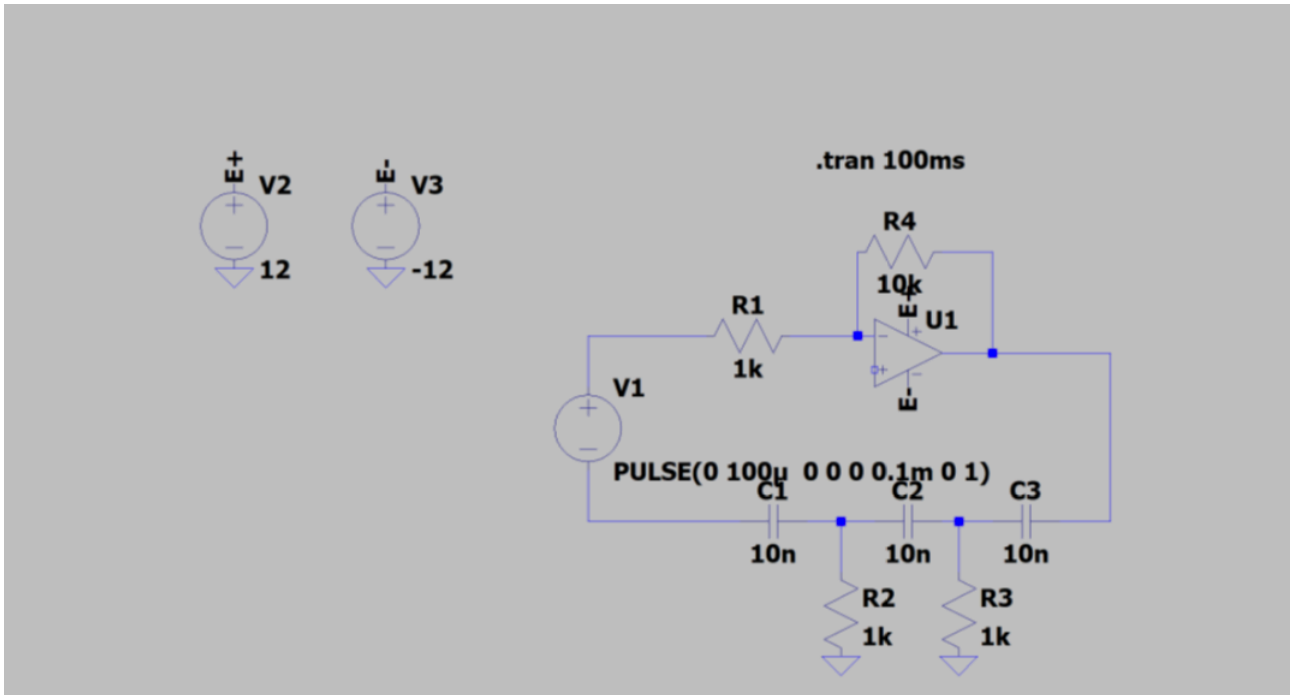
$$F_0 = 6.51 \text{ kHz}, A = 29.205$$

**Q4.** La valeur théorique est 1. On calcule numériquement par choisir un autre point proche de  $F_0$ .

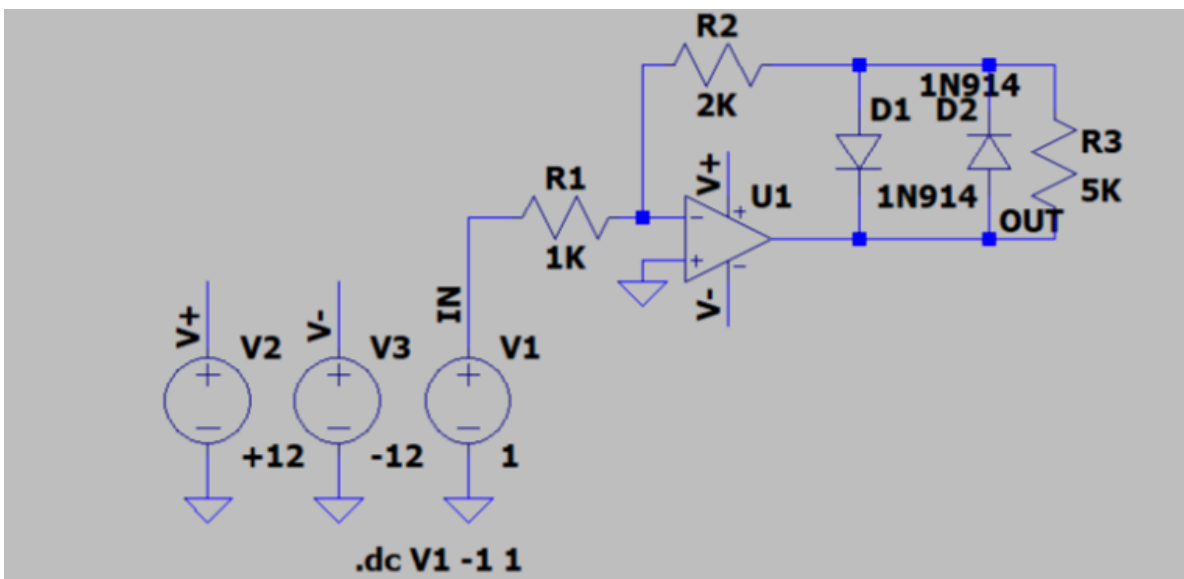


$k = l\omega_0 * d\phi / 2\pi * df * l = 1.0142$ , c'est presque les mêmes

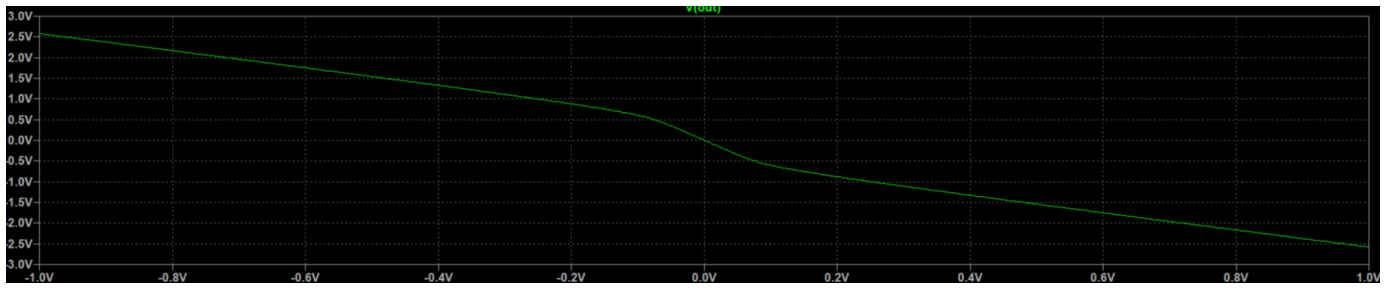
Q5



Q7



Q8



Il n'est pas linéaire au tour de 0.